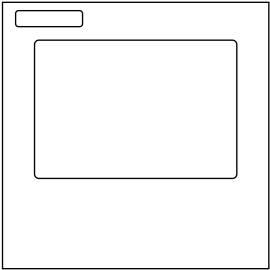


$N \models \neg e^{\wedge} o^{\wedge} h q b o v p q v h^{\wedge} \models o b d r i^{\wedge} q l o^{\wedge} \models$







$$R(Q) = ifpq^{\wedge} = m^{\wedge} o^{\wedge} jbf$$



$p^{\circ}-\mathbb{C}=\pm\cdot\forall\neg\neg\mathfrak{h}^3=\pm^2\mathcal{E}^{\circ 3}\text{'}\dot{N}\text{'}\downarrow\mathcal{E}\forall-\neg\mathbb{Q}^{\circ},\cdot\dot{=},\ll\mathfrak{s}\neg\neg\mathfrak{s}\mathcal{E}=\mathfrak{z}^{\circ},\quad\mathfrak{z}=\mathfrak{o}\mathcal{E}\forall\mathfrak{z}^a\sim\text{'}\mathfrak{s}=\mathfrak{E}\wedge\mathfrak{z}^2-\lfloor\text{'}\mathfrak{j}\sim\neg\mathfrak{z}^3\sim^a\neg\text{'}\neg\mathbb{Q}\mathfrak{s}\pm\pm\mathbb{Q}-\neg\mathfrak{s}\mathfrak{z}\mathcal{E}\text{'}\mathfrak{F}\mathbb{W}$

$m^{\circ},\cdot\dot{=},\ll\mathfrak{s}\neg\neg\mathfrak{s}\mathcal{E}=\mathfrak{z}^{\circ},\quad\mathfrak{z}=\mathfrak{o}\mathcal{E}\forall\mathfrak{z}^a\sim\text{'}\mathfrak{s}=\mu\sim^{\circ 2}-kN=\pm\cdot\forall\neg\neg\mathfrak{h}^3=\pm^2\mathcal{E}^{\circ 3}\text{'}\dot{N}\text{'}\downarrow\mathcal{E}\forall-\mathfrak{z}=\mathcal{E}\mathbb{C}\neg\mathcal{E}\forall-\neg^{\mathfrak{z}^{\circ}},\quad\mathfrak{z}=\neg\neg\mathbb{C}^{\circ 3}\forall\mathfrak{s}=\neg\mathfrak{s}\mathcal{E}=\mathcal{E}\pm^2=\mathfrak{o}\sim\neg\neg\mathbb{Q}-\mathbb{C}=\mathfrak{z}\mu\sim\forall\text{'}\mathfrak{k}=\text{=====}$

$$h-\neg \mathfrak{A}\S \Psi^3\circ \sim j''\sim \mu \mathcal{E}''k_i \S \sim \mathbb{R}-\ll \S \sim \circ -\mu \mathcal{E} \Psi -\mathbb{K}$$

$$\mathbf{0}-\Phi_{\sim}\sim \neg \mu \mathcal{E}''k_i \S \sim \mathbb{W}$$

$$\mathfrak{t}$$









j §¬§« ~ª¬~:µ~º²-kN±·¥¬¬j³=±²£º³`Nj£¥-k=w~©º£±±, «§~¬||=MIMB KKk=

'  
|

a-@<sup>3</sup>±, i, ~<sup>a</sup>¬~ = μ~<sup>o2</sup>-kN = - ± i .<sup>a</sup>~ i ~ = μ - © | h = @° - ¥<sup>3</sup> k = gEk<sup>q3</sup> = ¢ - " ¢, §E = ¢ -  
, ~© | i EB = - §E©<sup>23</sup> = § = μ~<sup>o2</sup>-kN = - ± i .<sup>a</sup>~ i ~ = r ¢, §E = μ§r©±, ~ = ¬§Z = μ~<sup>o2</sup>-kN =  
® ~° ~ « E<sup>2o3</sup> | = ¬¬ ±<sup>2</sup> N®§ = ~<sup>32</sup> - « ~<sup>2</sup>. i, ¬. = ±<sup>2</sup> ~<sup>o2</sup> = π<sup>3</sup> ¬© i ~ = ~<sup>32</sup> - ~ ¢ ~®<sup>2</sup> ~ i ~ | = ~ .  
μ ., ¬~ i, . N = ¬ - μE = ¬¬ ±<sup>2</sup> ~ μ . = mfa k =  
w ~ ©° E ± =, « § ~ ¬ . || = N | = ¥ | ° ¬ ~ = ¥° ~ ¬ § i ~ =, ~ ©° E ±<sup>3</sup> = © - « § ~° - μE ¥ -

gEk<sup>q3</sup>===== [ = M = ±<sup>2o</sup> E π ~ = « ~<sup>o2</sup> μ ~ =











$$h-\phi=\pm^2\Gamma^{\otimes^3}=\phi=\ll E\Gamma^3=\odot-\neg\sharp\forall^3\circ\sim j\cdot\text{"}\neg E\forall-\text{K}$$

$$\begin{aligned} & k\sim\pm^2\sim\mu\sim\text{=====J}=\odot-\phi=\mu\cdot\mathfrak{h}\acute{N}j\text{,}-\neg\cdot \\ & gEzE^{\sharp},-\pm^2\sim\text{\text{--}}\sharp E=^3\pm^2\sim\mu\mathfrak{s}-\neg\cdot\text{=}\odot-\phi=\phi-\pm^2\Gamma^{\otimes^3}\text{I}=\text{\text{--}}^3z\cdot^2\odot-\mu\text{\text{--}}\mathfrak{s}\odot=\otimes^{\circ},\cdot\text{=}\odot\sim z\phi-\text{\text{--}}^{\circ}\sim,-\mu\cdot\ll= \\ & \mu E\text{"K}\mathfrak{i}\mathfrak{s}^3=\phi=\ll E\Gamma^3=\odot-\neg\sharp\forall^3\circ\sim j\cdot\text{"}\neg E\forall-\text{I}=\text{ } \Gamma\phi,\mathfrak{s}E=\ll^3\pm\mathfrak{s}\text{\text{--}}\mathfrak{h}=\mu\otimes^{\circ}-\mu\sim\phi,\mathfrak{s}\mathfrak{N}=\text{ } \\ & \otimes^{\circ}\sim\mu\mathfrak{s}\phi\mathfrak{h}-\mu\cdot\text{=}\odot-\phi\text{I}=\sim\text{ }.\text{=}\phi-\odot-\neg\sim\mathfrak{N}=\neg\sim\pm^2\sim\mu\mathfrak{K}=\text{ }t\otimes^{\circ}-\mu\sim\phi,\mathfrak{E}\neg\mathfrak{s}E=\odot-\phi^3=\phi-\odot-\neg^3\text{"E}=\pm\mathfrak{s}\Gamma=\text{ } \\ & \odot^{\sharp}\sim\mu\mathfrak{s}\pm,\sim\ll\mathfrak{s}=\text{=====}\mathfrak{s}=\text{=====}\mathfrak{s},\sim^2\mu\mathfrak{s}E^{\circ}\phi,\sim=\odot^{\sharp}\sim\mu\mathfrak{s}\pm,E\ll\text{=====K} \end{aligned}$$









$$NQK=k \mid q^{\wedge}qhfk==$$